

CUET Mathematics Test

Chapter: Linear Programming

SOLUTIONS

www.udgamwelfarefoundation.com

**For Best Mathematics E-Books, Visit:
www.mathstudy.in**

www.udgamwelfarefoundation.com

MASTER MATH FASTER & SMARTER!

Your Ultimate Digital Math Companion for Every Exam & Every Dream

✓ CBSE • ICSE • ISC • JEE • SAT • CAT • CTET • CUET & More!

Why Choose MathStudy.in?



Latest Pattern E-Books



Complete Chapter PDFs



Competitive Edge Gunkes



Case Study Based Learning

**Instant Access,
Anytime**

**Unbelievably
Affordable!**

For Students:

Special Features

- ◆ ****Board-Specific**** – CBSE, ICSE, ISC, State Boards
- ◆ ****Exam-Focused**** – JEE, SAT, CAT, CTET, CUET, NTSE
- ◆ ****Grade-Wise**** – Class 6 to 12
- ◆ ****Bilingual Options**** – English & Hindi Medium Support
- ◆ ****Printable & Shareable**** – Use offline, anytime

How to Order:

Visit : <https://www.mathstudy.in>

Browse by Exam, Class, or Topic

Add to Cart & Checkout

Contact & Support:

✉ Email: admin@mathstudy.in

💬 WhatsApp Support Available : +91-+91 92118 65759



💡 Why Wait? Empower your learning journey, save time, and achieve your dreams!

🌐 Explore & Start Learning Today:

<https://www.mathstudy.in> – Premium eBooks for success

<https://www.udgamwelfarefoundation.com> – Free PDFs, practice tests, & guida

**MathStudy.in – Empowering Learners, Enabling Educators, Encouraging Excellence.
Digital Learning | Affordable Excellence | Trusted by Thousands**

Solutions

1. **Solution:** In LPP, we optimize a linear objective function. **Correct Option:** (B)
2. **Solution:** The intersection of linear inequalities forms a convex polygon. **Correct Option:** (B)
3. **Solution:** $Z(0, 3) = 12, Z(1, 1) = 7, Z(3, 0) = 9$. Minimum is 7. **Correct Option:** (B)
4. **Solution:** $Z = 2x + 3y$ is the function to be optimized, not a constraint. **Correct Option:** (C)
5. **Solution:** For unbounded regions, an optimal value may not exist. **Correct Option:** (B)
6. **Solution:** The feasible region must satisfy all constraints simultaneously. **Correct Option:** (C)
7. **Solution:** If two corners give the same max, the entire segment between them is optimal. **Correct Option:** (C)
8. **Solution:** The best solution within the feasible set is the optimal one. **Correct Option:** (B)
9. **Solution:** Corners are $(0, 0), (2, 0), (0, 2)$. Total 3. **Correct Option:** (B)
10. **Solution:** Substituting $(0, 0)$ into $2x + 3y \leq 6$ gives $0 \leq 6$ (True). **Correct Option:** (C)
11. **Solution:** Optimal values always occur at the vertices (corners). **Correct Option:** (C)
12. **Solution:** $Z(0, 0) = 0, Z(1, 0) = 1, Z(0, 1) = 1$. Max is 1. **Correct Option:** (B)
13. **Solution:** $x \geq 6 \implies 2x \geq 12$. But $2x + y \leq 10$. This is impossible for $y \geq 2$. **Correct Option:** (C)
14. **Solution:** Non-negativity means variables cannot be negative ($x, y \geq 0$). **Correct Option:** (C)
15. **Solution:** A set is convex if line segments between any two points stay within the set. **Correct Option:** (A)
16. **Solution:** $Z(0, 2) = 20, Z(4, 0) = 20, Z(6, 0) = 30, Z(0, 8) = 80$. Min is 20. **Correct Option:** (A)
17. **Solution:** For $(3, 2), 2(3) + 3(2) = 6 + 6 = 12$, which is > 6 . **Correct Option:** (C)
18. **Solution:** $Z(5, 0) = 10, Z(3, 4) = 6 + 12 = 18, Z(0, 5) = 15$. Max is 18. **Correct Option:** (C)
19. **Solution:** Finding the maximum/minimum is called optimization. **Correct Option:** (B)
20. **Solution:** Corners: $(0, 0), (7, 0), (0, 5), (4, 3)$. $Z(7, 0) = 21$ is the maximum. **Correct Option:** (A)